

**Math 41**

**name** \_\_\_\_\_

**Exam 3 A**

**March 23, 2016**

**#1-8: 12 points each, #9: 4 points**

**No calculators**

1. Find all intercept(s). Write the quadratic function in standard form. Identify the vertex

$$f(x) = 4x^2 + 8x + 3$$

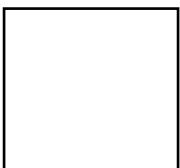
y-intercept:

\_\_\_\_\_

x-intercept(s), *if any*:

\_\_\_\_\_

standard equation and vertex:



2. Use the function  $f(x) = 2x^3 - 6x^2 + 4x - 5$  to determine the following:

a) the left and right hand behavior of the function

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b) the number of real zeros

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c) the number of extrema:

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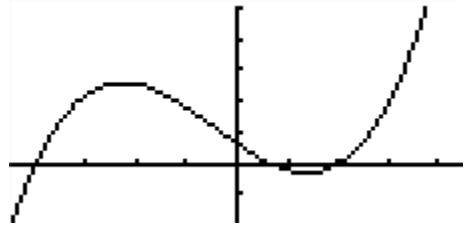
3. Find all real zeros of the function by factoring:  $f(x) = x^4 - 10x^2 + 16$



4. Use the remainder theorem to evaluate the function,  $f(x) = 3x^5 - 5x^4 - 4x^3 - 12x^2 - 4x + 3$  at  $x = -2$ .

5. Find all real zeros of the function using the graph, synthetic division, factoring and/or the quadratic formula:

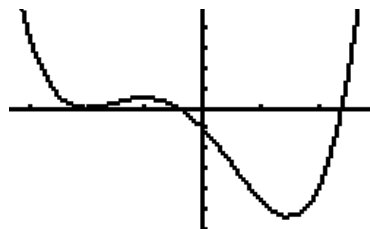
$$f(x) = 3x^3 + 4x^2 - 28x + 16$$



Real zeros:

6. Find all real zeros of the function using the graph, synthetic division, factoring and/or the quadratic

formula:  $f(x) = x^4 + 2x^3 - 5x^2 - 12x - 4$



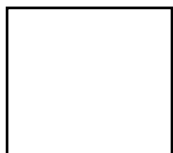
Real zeros:

7. Find the equations of all vertical and horizontal asymptote(s), if any, of the graph of the function:  
*there are no common factors*

$$f(x) = \frac{x^2 - 4x + 4}{x^2 - 16}$$

Vertical Asymptote(s):

Horizontal Asymptote(s):



8. Find the slant asymptote(s) of the graph of the function:

$$f(x) = \frac{2x^3 - x + 5}{x^2 + 3}$$

Slant Asymptote(s):

9. Write an equation of a polynomial function, name it  $f(x)$  with the following characteristics:

$f(x)$  has a real zero at  $x = 1$  of multiplicity of two and a real zero at  $x = -2$  of multiplicity of one.

*YOU DO NOT NEED TO EXPAND YOUR FUNCTION'S EQUATION.*

$$f(x) =$$



*Bonus:* Find the ***vertical asymptote(s) and/or hole(s)***, if any, of the graph of the function:

$$f(x) = \frac{x^2 - 3x - 10}{x^2 - 25} . \quad \textbf{\underline{Briefly}} \text{ explain your answer.}$$

Vertical Asymptote(s):

Hole(s):

